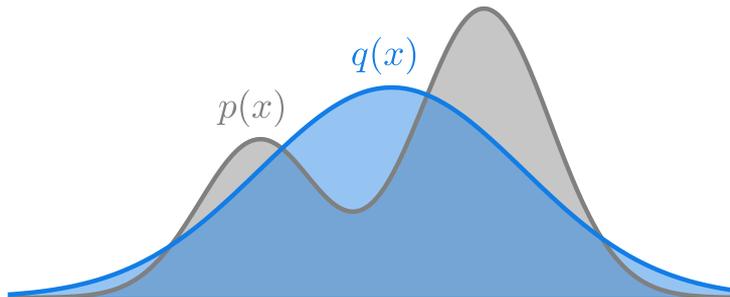


# L<sup>A</sup>T<sub>E</sub>X Typesetting, Slide Simplified

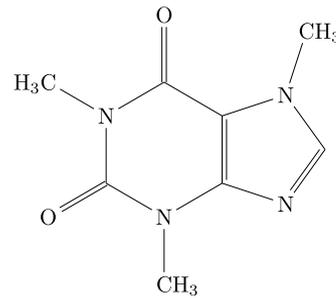
## KL divergence

For distributions  $P$  and  $Q$

$$\begin{aligned}\text{KL}(P\|Q) &= \int_{x \in \mathcal{X}} p(x) \ln \frac{p(x)}{q(x)} dx \\ &= \mathbb{E}_{x \sim p(x)} [\ln p(x) - \ln q(x)]\end{aligned}$$



## What is Caffeine



Properties of Caffeine

Property	Value
Formula	$\text{C}_8\text{H}_{10}\text{N}_4\text{O}_2$
Molar mass	$194.194 \text{ g} \cdot \text{mol}^{-1}$
Density	$1.23 \text{ g/cm}^3$
Melting point	$235\text{--}238 \text{ }^\circ\text{C}$



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# L<sup>A</sup>T<sub>E</sub>X Typesetting, Slide Simplified

## Levenberg-Marquardt method

### Objective

Minimize sum of squared residuals:

$$S(\mathbf{x}) = \sum_i [f_i(\mathbf{x})]^2 = \|\mathbf{f}(\mathbf{x})\|_2^2$$

### Core Update Step

Solves for  $\mathbf{h}_{lm}$  (the step):

$$(\mathbf{J}^\top \mathbf{J} + \lambda \mathbf{I}) \mathbf{h}_{lm} = -\mathbf{J}^\top \mathbf{f}$$

$\mathbf{J}$ : Jacobian matrix of  $\mathbf{f}(\mathbf{x})$

$\lambda$ : Damping parameter (non-negative)

### Adaptive Damping

Small  $\lambda$ : Approaches Gauss-Newton method (faster)

Large  $\lambda$ : Approaches Gradient Descent method (more robust)

$\lambda$  is adjusted based on iteration success

---

**Algorithm:** Levenberg-Marquardt method

---

```
k := 0;  $\nu$  := 2;  $\mathbf{x}$  :=  $\mathbf{x}_0$ 
 $\mathbf{A}$  :=  $\mathbf{J}(\mathbf{x})^\top \mathbf{J}(\mathbf{x})$ ;  $\mathbf{g}$  :=  $\mathbf{J}(\mathbf{x})^\top \mathbf{f}(\mathbf{x})$ 
found := ( $\|\mathbf{g}\|_\infty \leq \epsilon_1$ );  $\mu$  :=  $\tau \times \max\{a_{ii}\}$ 
while (not found) and ( $k < k_{\max}$ ) do
   $k$  :=  $k + 1$ ; Solve  $(\mathbf{A} + \mu \mathbf{I}) \mathbf{h}_{lm} = -\mathbf{g}$ 
  if  $\|\mathbf{h}_{lm}\| \leq \epsilon_2(\|\mathbf{x}\| + \epsilon_2)$  then
    found := true
  else
     $\mathbf{x}_{\text{new}}$  :=  $\mathbf{x} + \mathbf{h}_{lm}$ 
     $\rho$  :=  $(F(\mathbf{x}) - F(\mathbf{x}_{\text{new}})) / (L(\mathbf{0}) - L(\mathbf{h}_{lm}))$ 
    if  $\rho > 0$  then ▷ step acceptable
       $\mathbf{x}$  :=  $\mathbf{x}_{\text{new}}$ 
       $\mathbf{A}$  :=  $\mathbf{J}(\mathbf{x})^\top \mathbf{J}(\mathbf{x})$ ;  $\mathbf{g}$  :=  $\mathbf{J}(\mathbf{x})^\top \mathbf{f}(\mathbf{x})$ 
      found := ( $\|\mathbf{g}\|_\infty \leq \epsilon_1$ )
       $\mu$  :=  $\mu \times \max\{\frac{1}{3}, 1 - (2\rho - 1)^3\}$ ;  $\nu$  := 2
    else
       $\mu$  :=  $\mu \times \nu$ ;  $\nu$  :=  $2 \times \nu$ 
    end if
  end if
end while
```

---

# L<sup>A</sup>T<sub>E</sub>X Typesetting, Slide Simplified

## Getting Started

### 1. Install L<sup>A</sup>T<sub>E</sub>X

Tex Live, MiKTeX, MacTeX, etc

### 2. Set path and preamble in TexSlide

Files → Options → Formula

The screenshot shows the 'Formula' tab of the 'Options' dialog in TexSlide. It is divided into two main sections: 'Paths used by Generating Latex' and 'The preamble is used to generate LaTeX equations. This setting only affects the current document.' The 'Paths' section contains a table with columns 'Executable' and 'Paths', and buttons for 'AutoDetect' and 'Edit...'. The 'Preamble' section contains a text area with LaTeX code and buttons for 'Check...', 'Save To Template', and 'Import from Template'.

Executable	Paths
<input checked="" type="checkbox"/> latex	/Library/TeX/texbin/latex
<input type="checkbox"/> xelatex	/Library/TeX/texbin/xelatex
<input checked="" type="checkbox"/> dvisvgm	/Library/TeX/texbin/dvisvgm

```
\usepackage{amsmath}
\usepackage{amssymb}
\usepackage{ifxetex}
\def\pgfsysdriver{pgfsys-dvisvgm.def}

\usepackage{algorithm, algpseudocode}
\usepackage{booktabs}
\usepackage{caption}
\usepackage{chemfig, mhchem}
\usepackage{pgfplots, tikz}
\pgfplotsset{compat=1.18}
\usepgfplotslibrary{fillbetween}
\definecolor{myBlue}{RGB}{18,125,230}

\newcommand{\mbf}{\mathbf}
```

### 3. Insert formulas

TextBox: use  $\$...\$$  or  $\backslash(...\backslash)$  to typeset math in inline mode

Toggle between equation and text mode

Insert Latex: create equation, table, TikZ and so on

The Taylor series of a real function  $f(x)$ , that is infinitely differentiable at a real  $a$ , is the power series

$$\displaystyle{f(a) + \frac{f'(a)}{1!}(x-a) + \frac{f''(a)}{2!}(x-a)^2 + \dots = \sum_{n=0}^{\infty} \frac{f^{(n)}(a)}{n!}(x-a)^n}$$

L<sup>A</sup>T<sub>E</sub>X + dvisvgm + TexSlide

The Taylor series of a real function  $f(x)$ , that is infinitely differentiable at a real  $a$ , is the power series

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